

**Abstract**

## **Code loops and conjugacy closedness**

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Code loops were defined by Griess as a generalization of the Parker loop (the loop which can be used to construct the Monster and is derived from the binary Golay code). Such loops have order that is a power of two. Later Richardson defined odd code loops and used them to construct explicitly  $p$ -local subgroups of the Monster. Recently I have described all extraspecial LCC loops. It turns out that they form a class that slightly expands the union of code loops of both odd and even order. LCC (left conjugacy closed) loops are those loops  $Q$ , in which the left translations  $L_x, x \in Q$ , are closed for conjugation (i.e. for all  $x, y \in Q$  there exists  $z \in Q$  such that  $L_z = L_x L_y L_x^{-1}$ ). The loop  $Q$  is extraspecial, if  $Q/Z(Q)$  is an elementary abelian  $p$ -group and  $Z(Q)$  is of order  $p$ . In the talk I intend to reexamine the connections of loops, groups and self-orthogonal codes in the light of the newly obtained description of code loops.